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Enabling Third-Party Audits of Algorithmic Systems with Privacy Enhancing Technologies

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Michael Walton Tomo Lazovich, Ph.D. (they/them)

xD, U.S. Census Bureau

All statements are the author's personal views and do not necessarily reflect Census Bureau policy.



xD is an **emerging technologies group** that's advancing the delivery of data-driven services through new and transformative technologies.

> We do this work by bringing on cohorts of **Emerging Technology Fellows** and by collaborating with others throughout the Census Bureau and beyond!

PETs + Responsible AI





Third-Party Audits of Algorithmic Systems



Fairness Identify & mitigate potentially harmful biases





Transparency

Insights into model decision-making processes

Utility Independently validate performance claims

Crucial for public trust in AI/ML systems and promoting responsible deployment



GOAL: Provide a model API for users



Challenges...



Mitigate privacy risks (eg DP, DP-SGD, distillation, regularization etc.)







GOAL: Evaluate model performance conditional on a sensitive attribute





Disaggregated Evaluation

Challenge: Model owner & auditor do not have / cannot access sensitive attribute dataset



How can we protect privacy of the sensitive attribute dataset while preserving metric fidelity?

MODEL AUDITING WITH PETs





Add noise: differential privacy, synthetic data generation



Encrypt: *secure multi-party computation*, fully homomorphic encryption, zero knowledge proofs, secure enclaves

PETs TRADEOFFS

Techniques trade off between **fidelity**, **privacy**, and **computation cost**



Information revealed

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EXPERIMENTAL SETUP

- Model Owner: Fit a (toy) logistic regression model on folktables ACS Employment task
- Sensitive Attribute Owner: Demographic features w/ common UID
- Auditor: Evaluate PETs in combination with common fairness metrics using fairlearn



- Fairlearn





- Advantage: Privacy guarantees
- **Disadvantage:** uncertainty increases with the magnitude of noise added

(ongoing work exploring corrections!)



PRIVATE JOIN AND COMPUTE

Both parties encrypt common identifier, join & sum encrypted attributes

- Advantage: Exact calculation
- **Disadvantage:** computational cost, privacy attacks

(ongoing work exploring mitigations!)





No single silver-bullet PET, complex tradeoffs between privacy, utility, fairness & compute



We'd love to hear from you!

inquiries@xd.gov

Mike Walton michael.w.walton@census.gov



Backup



DIFFERENTIAL PRIVACY + FAIRNESS METRICS

Evaluate fairness metrics with no noise

def get_fairness_metrics(y_true, y_pred, sensitive_features):

- dpd = demographic_parity_difference(y_true, y_pred, sensitive_features=sensitive_features)
- dpr = demographic_parity_ratio(y_true, y_pred, sensitive_features=sensitive_features)
- eod = equalized_odds_difference(y_true, y_pred, sensitive_features=sensitive_features)
- eor = equalized_odds_ratio(y_true, y_pred, sensitive_features=sensitive_features)

return np.array([dpd, dpr, eod, eor])

Evaluate fairness metrics with randomized response noise

```
def run_trials(num_trials, p, y_true, y_pred, group_vals, num_metrics=4):
    results = np.zeros((num_trials, num_metrics))
```

```
categories = np.unique(group_vals)
rr_meas = make_randomized_response(categories, prob=p)
v func = np.vectorize(rr meas)
```

```
for i in range(num_trials):
    noisy_groups = v_func(group_vals)
    results[i, :] = get_fairness_metrics(y_true, y_pred, noisy_groups)
```

return results

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DIFFERENTIAL PRIVACY + FAIRNESS METRICS



The demographic parity ratio is defined as the ratio between the smallest and the largest group-level selection rate, E[h(X)|A = a], across all values a of the sensitive feature(s). The demographic parity ratio of 1 means that all groups have the same selection rate.



 $\mathbb{E}[h(X) \mid A = a, Y = y] = \mathbb{E}[h(X) \mid Y = y] \quad \forall a, y.$ Equalized odds requires that the true positive rate, $\mathbb{P}(h(X) = 1 \mid Y = 1)$, and the false positive rate, $\mathbb{P}(h(X) = 1 \mid Y = 0)$, be equal across groups.



Private Intersection Sum with Cardinality Inputs: $P_1 : \text{Set } V = \{v_i\}_{i=1}^{m_1}$ $P_2 : \text{Set of pairs } W = \{(w_i, t_i)\}_{i=1}^{m_2}$ Outputs: $P_1 : C = |\{i : w_i \in V\}|$ $P_2 : C = |\{i : w_i \in V\}|, S = \sum_{i:w_i \in V} t_i$

Figure 1: F_{PIS-C} : The Private Intersection-Sum with Cardinality functionality.